

Idea Cheat Sheet

Conventions (Not Enforced)

A – Capital letters are parameters

x – Lower case letters are streams

Variables beginning with f, n, r, c are ranges variables

Basic Data Types

Basic C Types: char, short, int, float, double, unsigned char, unsigned short, unsigned int

Complex Types: complex, dcomplex

64 bit integer type: dint

Address sized integer: INT

Index Notation

range n = 32; Takes on values 0..31

#n INT having size of range n (#n == 32)

y[n] = x(n); Scalar to vector. Form 1 vector token from #n scalar tokens.

y[n] = x(n-Ovrl); Scalar to vector with overlap of Ovrl.

Form 1 vector token from #n scalar tokens, saving Ovrl for the next vector.

y[n] = x(n-#n/2); Scalar to vector with overlap size

floor(#n/2)

y(n) = x[n]; Vector to scalar. Form #n scalar tokens from 1 vector token.

[n]y = x(n); Demultiplex x into #n streams.

y = x + x(-2); Add x with x delayed by 2;

y = x(-3); x delayed by 3;

y += x(-n); Sum tokens x(0) + x(-1) + ... x(-#n-1)

y += x(-n)/#n; y is average of last n samples of x

[f]y[r] = x[r] + f; Family of #f streams, e.g., [2]y[r] = x[r]+2.

range c = random(2)%32+32; Variable range

y[c] = x(c); Variable sized array

[r]y[c] = x[r][c]; Family of size r from the rows of x.

Defining Parameters

X = 3; Define variable x to be a parameter value of 3.

X[] = {1,2,3}; Set X to the vector with values 1,2,3

range n = 3; X[n] = {1,2,3}; same as above

A[][] = {{1,2,3},{4,5,6},{7,8,9}}; set A to a 3x3 matrix

complex Z = {cos(1.0,sin(1.0))};

Typing Rules

Expressions may be implicitly typed:

x = 1; x is an int

y = x+2; y is an int

y2 = z.re + 3; y2 is float

y3 = 10*z; y3 is complex if z is

Explicit typing can be used to cast types:

stream complex z = 1.0;

int x = z.re+z.im;

Circular feedback expressions must have explicit type:

int x = x(-1) + 1;

Arithmetic and Functions of Numbers

All C syntax arithmetic expressions permitted

Arithmetic expressions extended to include complex type.

complex l = {0,1}; Set l to sqrt(-1)

y[r] = x[r]*3+4 +5*l;

z(r) = x[r]/(y[r]+1);

Exponentiation:

y[r] = x[r]^2;

y[r] = x[r]^(8+2*I);

Standard C math library functions

y = sqrt(x);

y = sqrt(-x + 3*I); Compute the square root of -x + 3i.

y = exp(x/12); Compute e^{x/12}.

Math library works on parameters or streams

A = log(3); A = log10(100);

A = abs(-5 +3*I); Compute the magnitude |-5 + 3i|.

A = sin(5.0/3.0); Compute the sine of 5/3.

Collapsing Operators

y += x[c]; Sum of elements of x.

y += x[10+n]; Sum the #n elements of x beginning at element 10.

y[c] += x[r][c]; Sum of columns of x.

y[r] += x[r][c]; Sum of rows of x.

y[r] += [f]z[r]; Family sum of vectors.

y *=x[c]; Product of elements of x.

y >?= x[c]; Max of elements of x.

y <?= abs(x[c]); Min magnitude of elements of x.

y &= (x[c] != 0); All elements of x[c] do not equal 0.

y |= (x[c] != 0); Some element of x[c] is not equal to 0.

z[r][c] += x[r][k] * y[k][c]; Matrix multiplication.

z[r] += x[r][k]*y[k]; Matrix vector multiplication.

z += x(-i)*C[i]; FIR filter.

Given: x[r][c] = ...; range r3 = 3; range c3 = 3; range rb = #r-#r3+1; range cb = #c-#c3+1;

y[rb][cb] += x[rb+r3][cb+c3]*K[r3][c3]; 3x3 image filter.

int ia[r][c] = x[r][c] != 0; Create binary image.

ib[rb][cb] &= ia[rb+r3][cb+c3]; 3x3 erosion filter.

ic[rb][cb] |= ia[rb+r3][cb+c3]; 3x3 dilation filter.

Stream Source Generating Functions

stream x = 3; Define x to be a stream of constant int value.

x = uniform(3); Stream of uniformly distributed floating point values between 0 and 1. Initial seed is 3.

float x = normal(2); Stream of normal distributed values (mean 0, stddev 1).

complex x = x_normal(2);

float x = osc(3.0,2.0,1.0); Oscillator with frequency 3.0

radians per sample, amplitude 2.0 and initial phase of 1.0.

complex x = x_osc(3.0,1.0,0.0); Complex oscillator

Constructing a Few Simple Matrices

Given range n = 100;

y[r][c] = x[c](r); Matrix of size #r *#c.

y[n][r][c] = x[r][c](n); 3d array of size #n*#r*#c.

y[r][c] = x(r*#c+c); Matrix of #r*#c values.

Eye[r][c] = r==c; Identity matrix when #r == #c.

Zeros[r][c] = 0;

Linspace[n] = n*(4.7-1.2)/(#n-1) + 1.2;

Vector of 100 equally-spaced numbers from 1.2 to 4.7.

Rowvec[n] = 3+n; Vector of values 3,4,5,...,101, 102.

y[r][c] = r==c ? x[r][c] : 0.0;

Matrix whose diagonal is the diagonal entries of x.

Portions of Matrices and Vectors

Given range $n = 100$;

$y[n] = x[2+n]$; The 2nd to 101st element of x .

$y[n] = x[2*n + 1]$; Elements 1,3,5,...199 of x .

Given x is defined as $x[r][c] = \dots$ then:

$y[c] = x[5][c]$; Elements in the 5th row of x .

$y[n] = x[5][n]$; First $\#n$ elements in the 5th row of x .

$y[n] = x[n][5]$; First $\#n$ elements in the 5th column of m .

$y[r1][c1] = x[r1+5][c1+6]$;

Submatrix of size $\#r1*\#c1$ beginning at location 5,6.

$y[r1][c1] = x[r1+i][c1+j]$;

Submatrix of x of size $\#r1*\#c1$ beginning at varying location i, j .

Setting Subsections of a Matrix

Given $x[r][c] = \dots$; $y[c] = \dots$; $z[r] = \dots$ then:

$a[n] = \text{set}(y,10.0,3)$; $a = y$ with 3rd element replaced by 10.

$a[r][c] = \text{rset}(x,y,10)$; $a = x$ with 10th row replace by y .

$a[r][c] = \text{cset}(x,z,10)$; $a = x$ with 10th column replaced by z .

$a[r][c] = \text{set}(x,4,5,10.0)$; $a = x$ with 4th row and 5th column set to 10.

Partitioning and Concatenation

Given: $v[r] = \dots$; $m[r][c] = \dots$

$[f]va[rf] = \text{part_fam}(v)$; Partition vector into family of vectors.

$v2[r] = \text{concat_fam}([f]va)$;

$[f]ma[rf][c] = \text{rpart_fam}(m)$; Family row part.

$[f]mb[r][cf] = \text{cpart_fam}(m)$; Family column part.

$m2[r][c] = \text{rconcat_fam}([f]ma)$;

$m3[r][c] = \text{cconcat_fam}([f]mb)$;

$vs[rs] = \text{part_strm}(v,Nmax)$; Partition v into multiple tokens that are vectors of size at most $Nmax$.

$v3[r] = \text{concat_strm}(vs,Nmax,\#r)$; Collect vectors partitioned by part_strm into vector of original size.

$mrs[rs][c] = \text{rpart_strm}(m,Rmax)$;

$mcs[r][cs] = \text{cpart_strm}(m,Cmax)$;

$m4[r][c] = \text{rconcat_strm}(m,Rmax,\#r)$;

$m5[r][c] = \text{cconcat_strm}(m,Cmax,\#c)$;

Solving Linear Equations

range $c = \#r$; complex $a[r][c] = \dots$; complex $x[c] = \dots$

$y[r] = \text{solve}(a,x)$; Solve for y in equation $x[c] += a[r][c]*y[r]$;

$b[r][c] = \text{inv}(a)$; Inverse of square matrix a .

$b[r][c],p[c] = \text{lu}(a)$; LU factorization.

$q[r1][c],r[c][c1] = \text{qr}(a)$; QR factorization.

$v[r][c],d[c] = \text{eig}(a)$; The columns of v are the eigenvectors of a , and the values of d are the eigenvalues of a

Plotting

Given stream $x = \dots$, $y[c] = \dots$, $th[c]$, $z[r][c] = \dots$

$by = \text{bar}(y)$;

$iz = \text{image}(z)$;

$py = \text{plot}(y)$; Line plot of index (range c) vs. y .

$py = \text{plot}(\#c-c,y)$; Line plot of $\#c-c$ vs. y .

$py = \text{polar}(y)$; Polar display of complex data.

$py = \text{polar}(y,th)$; Polar display of real radius (y) and angle (th) data.

$sy = \text{scatter}(y,\text{sqrt}(y))$; Scatter plot of y vs. $\text{sqrt}(y)$.

$sx = \text{scope}(x)$; One input plot of x .

$sx = \text{scope}(x,\text{sqrt}(x))$; Two input plot of x and $\text{sqrt}(x)$.

$sy = \text{spectrogram}(y)$;

$sz = \text{surf}(z)$; 3-d surface plot.

Transposes and Dot Products

$B[c][r] = A[r][c]$; Transpose of parameter.

$y[c][r] = m[r][c]$; Transpose of stream.

$C[c][r] = \text{conj}(A[r][c])$; Conjugate transpose.

$d += x[c]*y[c]$; Dot product.

$e[r][c] = x[c]*z[r]$; Outer product.

Finding and Gathering

Given $v[r]$, $m[r][c]$:

$\text{indx}[n] = \text{find}(v)$; Index of all nonzero values of v .

$\text{indx}[n] = \text{find}(v,\text{MaxN})$; Index of first MaxN nonzero values.

$\text{value}[n] = v[\text{indx}[n]]$; Gather.

$\text{value}[n] = \text{gather}(v,\text{indx})$; Gather using function.

$\text{rows}[n],\text{cols}[n] = \text{find}(m)$; Row and column indices of non zero values of m .

$\text{rows}[n],\text{cols}[n] = \text{find}(m,\text{MaxN})$; Row and column indices of at most MaxN non-zero values of m .

$\text{values}[n] = m[\text{rows}[n]][\text{cols}[n]]$; Gather.

$\text{values}[n] = \text{gather}(m,\text{rows},\text{cols})$; Gather using function.

Conditional Processing

Given $c = \text{random}(4)\%3$; $y = \text{uniform}(1)$;

if ($c>2$) { $x = y+1$; } else { $x = y-1$; }

if (c) { $w = y$; } Conditional data production.

switch(c) {

case 0: { $z = y+1$; } // Each case has an implicit break.

case 1: { $z = y-1$; }

case 2: { $z = y$; }

default: { $z = 0$; } // Default if c is not 0, 1, or 2

}

Iterative Processing

$z = \text{normal}(1)$; $y = \text{uniform}(2)$;

do ($x1=1,x2=1$) {

pop y ; // get new value of y for each iteration

$x3=x1+x2+y$;

$x1_new=x2+z$; // value of z is held

$x1=x1_new$;

$x2=x3$;

push $x2$; // output new value of $x2$ for each iteration

$p1 = \text{print}(x1)$; // prints previous value of $x1$

$p4 = \text{print}(x1_new)$; // prints new value of $x1$

} while($x1 < 1000$);

// final value of all variables besides $x2$ are available outside loop

while ($y1=z+1$; $x1=1$; $x1<100$) {

$x1 = x1+1$;

$x2 = \text{sqrt}(x1)$;

$y1 = \text{func}(x1,y1)$;

}

// only initialized variables $y1$ and $x1$ are visible on output

for ($y1=0$, $x1=1$; $x1<100$; $x1 = x1+1$) {

$x2 = \text{sqrt}(x1)$;

$y1 = \text{func}(x2,y1)$;

}

// only initialized variables $x1$ and $y1$ are visible on output